

Neural networks for variable star classification

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- Supervised classification

Multi-Layer Perceptron (MLP)

“Neural Networks for Pattern Recognition” by C. Bishop

- Unsupervised learning and detection

Self-Organizing Map (SOM)

“Self-organizing maps” by T. Kohonen

- Bayesian methods for learning algorithms

“Information Theory, Inference and Learning Algorithms”

by D. MacKay

Multi-Layered Perceptrons for supervised classification

- **Training set** - a library of classified lightcurves.
datasets from Hipparcos, OGLE etc

Archive integration

- **Feature extraction** - lightcurves need to be parameterized

Tools for spectral analysis of sparsely sampled data

- $P(C|x)$ - probability that the variability class is C given measured features x

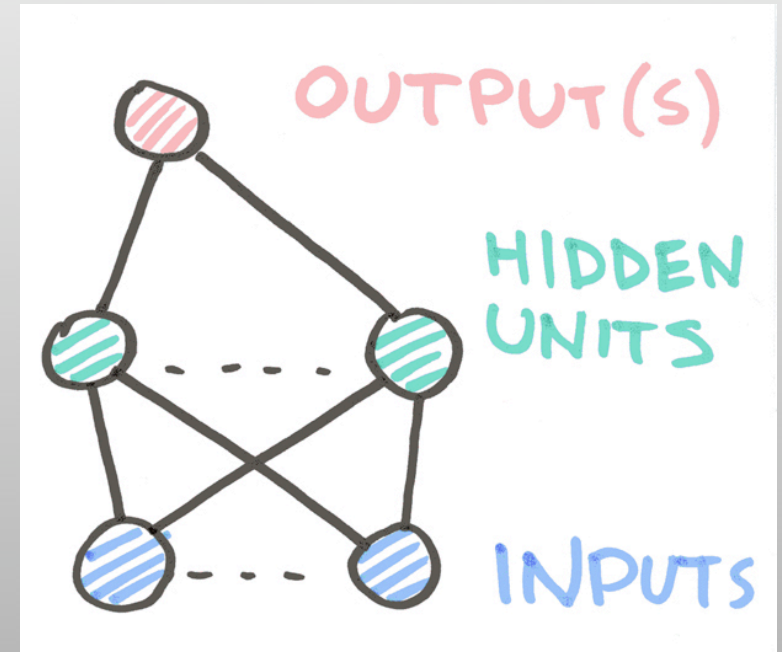
Find $P(C|x)$ - nonlinear function in many dimensions

Neural Networks can approximate this mapping

Multi-Layered Perceptrons for supervised classification

Feed Forward Networks

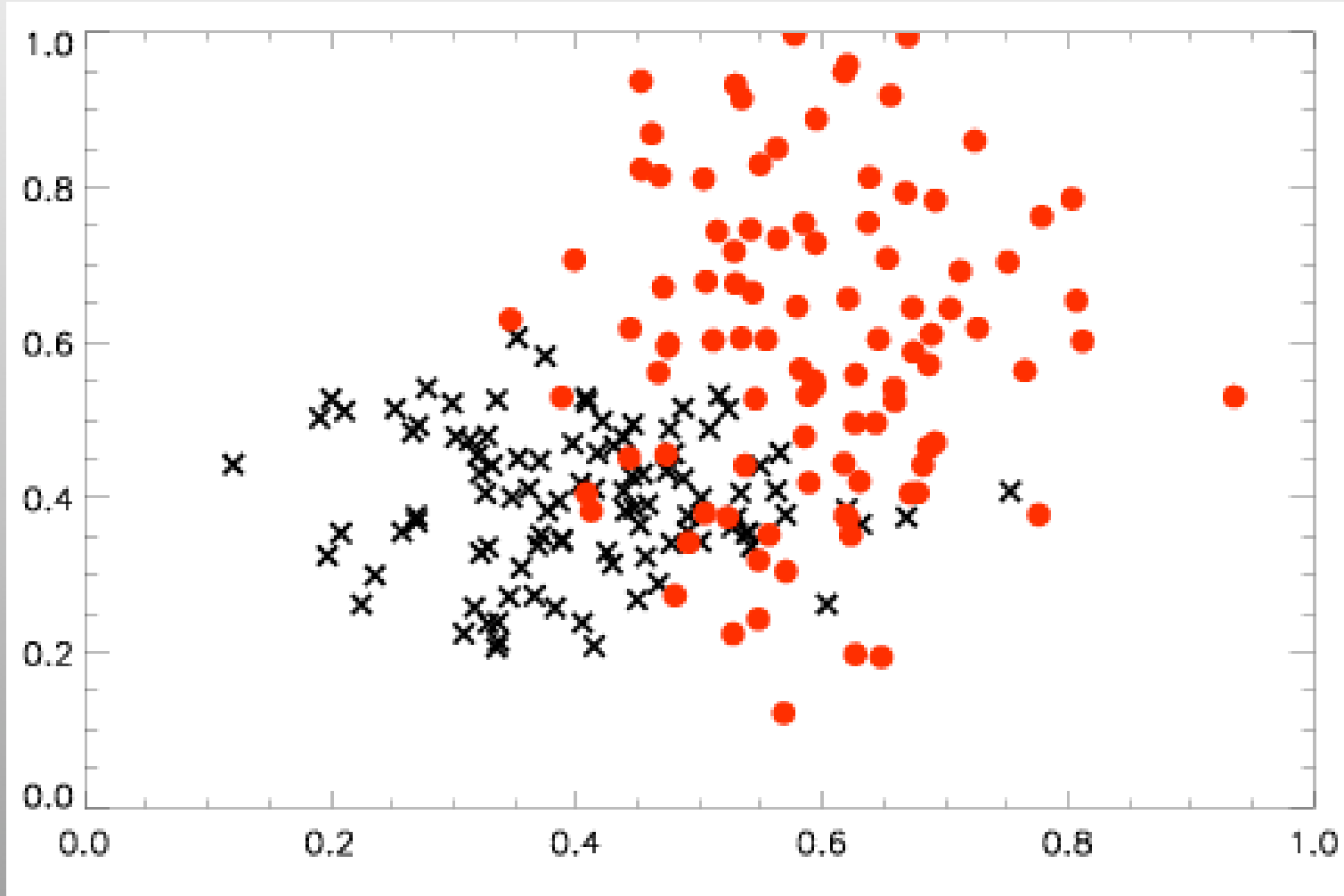
- Each connection has a *weight* assigned
- Network can have several *layers* of hidden (processing) units (neurons)
- Each neuron receives a *weighted sum* of values from the lower layer
- Each neuron then sends this linear sum transformed with a nonlinear *activation function*
- The output is calculated and can be compared to the *target*



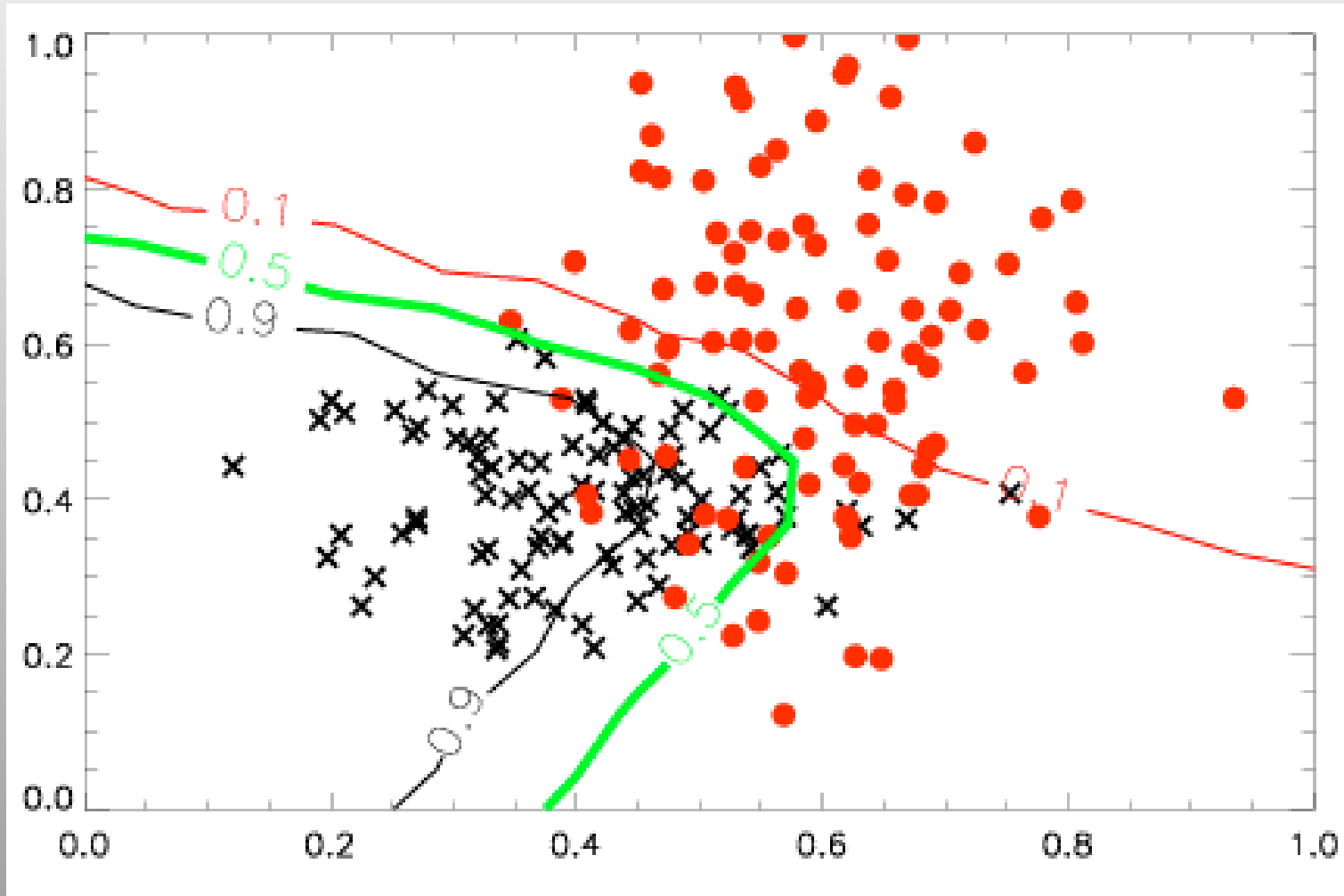
Error back-propagation

- *Error function* quantifies the difference between output and target
- Derivatives (with respect to the weights) of the error function are calculated by propagating the 'errors' from higher layers

Multi-Layered Perceptrons for supervised classification



Multi-Layered Perceptrons for supervised classification



Stuttgart Neural Network Simulator

Multi-Layered Perceptrons for supervised classification

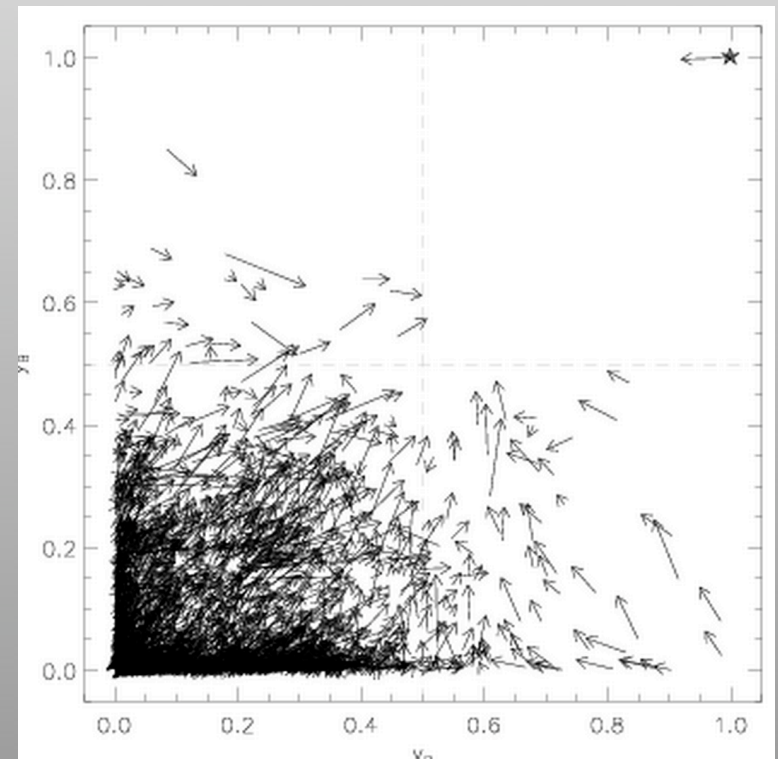
Advantages

- Distributed processing of all available information
- Approximates complicated decision boundaries in many dimensions
- Novelty detection

Example

- MACHO LMC data
- 5 inputs (extracted from each lightcurve)
- Identifies 1 microlensing event in the tile of 2500 lightcurves

Belokurov, Evans & Le Du 2003



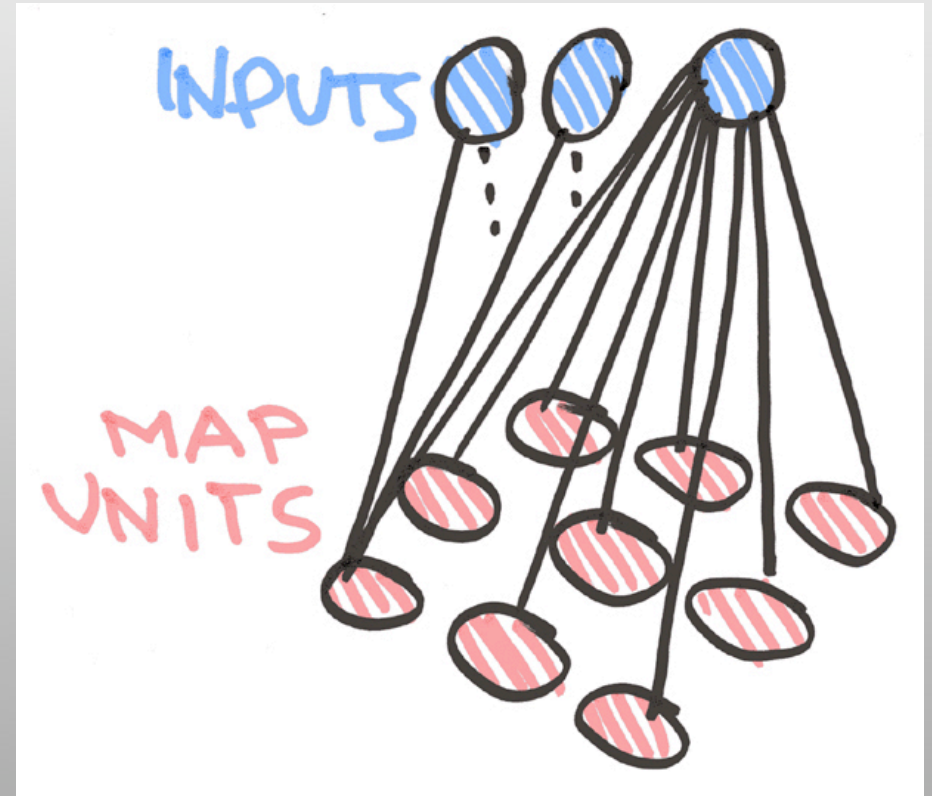
Unsupervised learning with Self-Organizing Maps

Desirables

- Visualize data in more than 3 dimensions
- Preserve the topology

SOM

- The weights of each map node define a *reference vector* of the same dimensionality as the input



- The node with the smallest Euclidean distance between its reference vector and the input defines *response* of the map to the input

Unsupervised learning with Self-Organizing Maps

Learning

1. Find the *winner*
2. Update the winner to minimize the distance
3. Allow nodes in the vicinity of the winner to be updated as well (defined by the *neighborhood kernel*)
4. Kernel monotonically decreases with time

Quality of learning

- Quantization error
- Distortion measure

Calibration

Set reference points with manually analyzed data

Unsupervised learning with Self-Organizing Maps

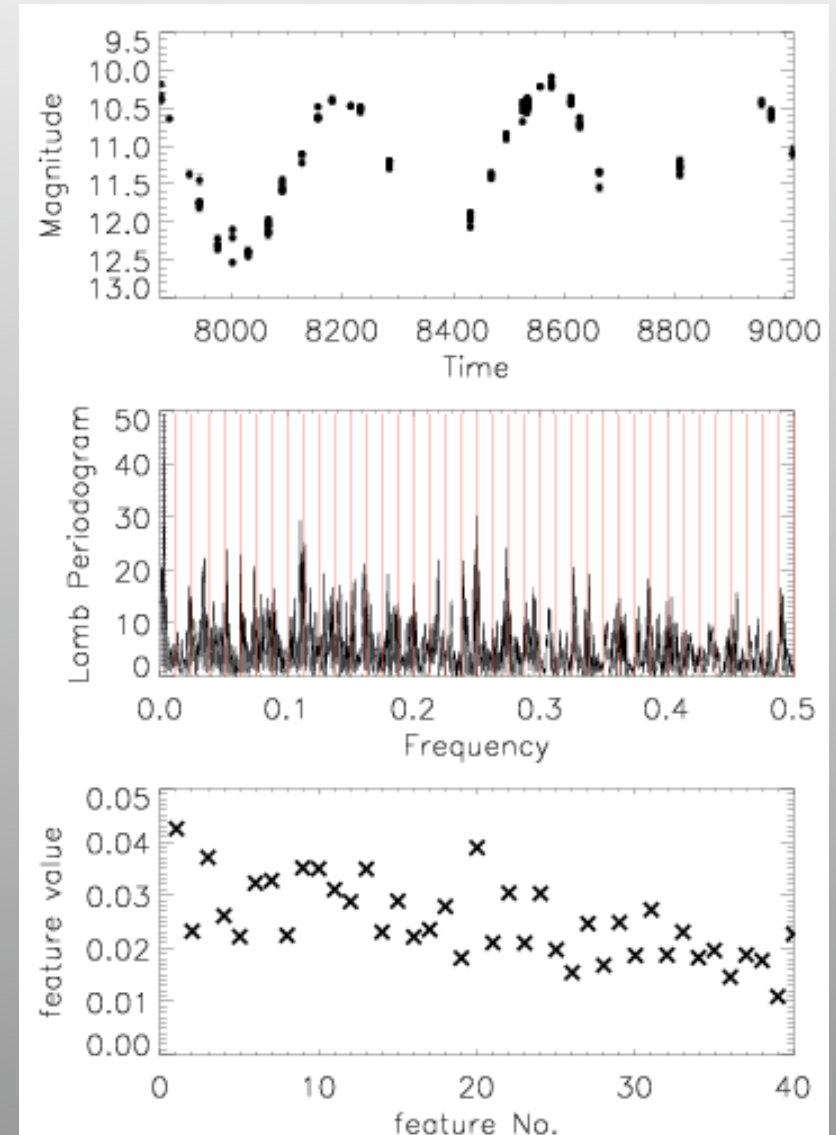
Example - Hipparcos Variables

52 input features in total

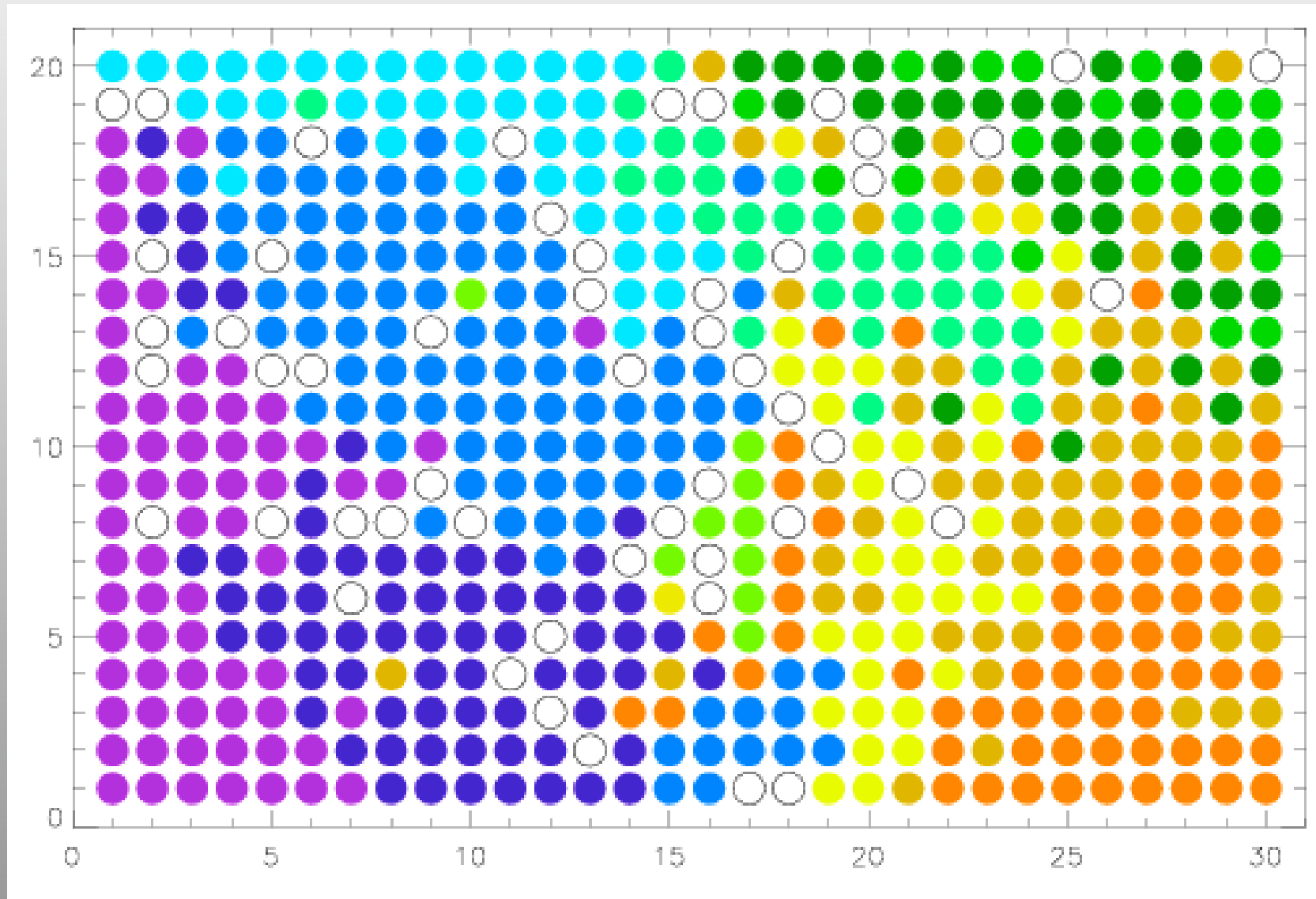
- Lomb Periodogram integrated in 40 bins and normalized
- 5,15,25,35,45,55,65,75,85,95 percentiles with median magnitude subtracted
- Ratio of magnitude above/below median
- V-I
- Color evolution?...

Dataset - more than 2500 'solved' Hipparcos variables

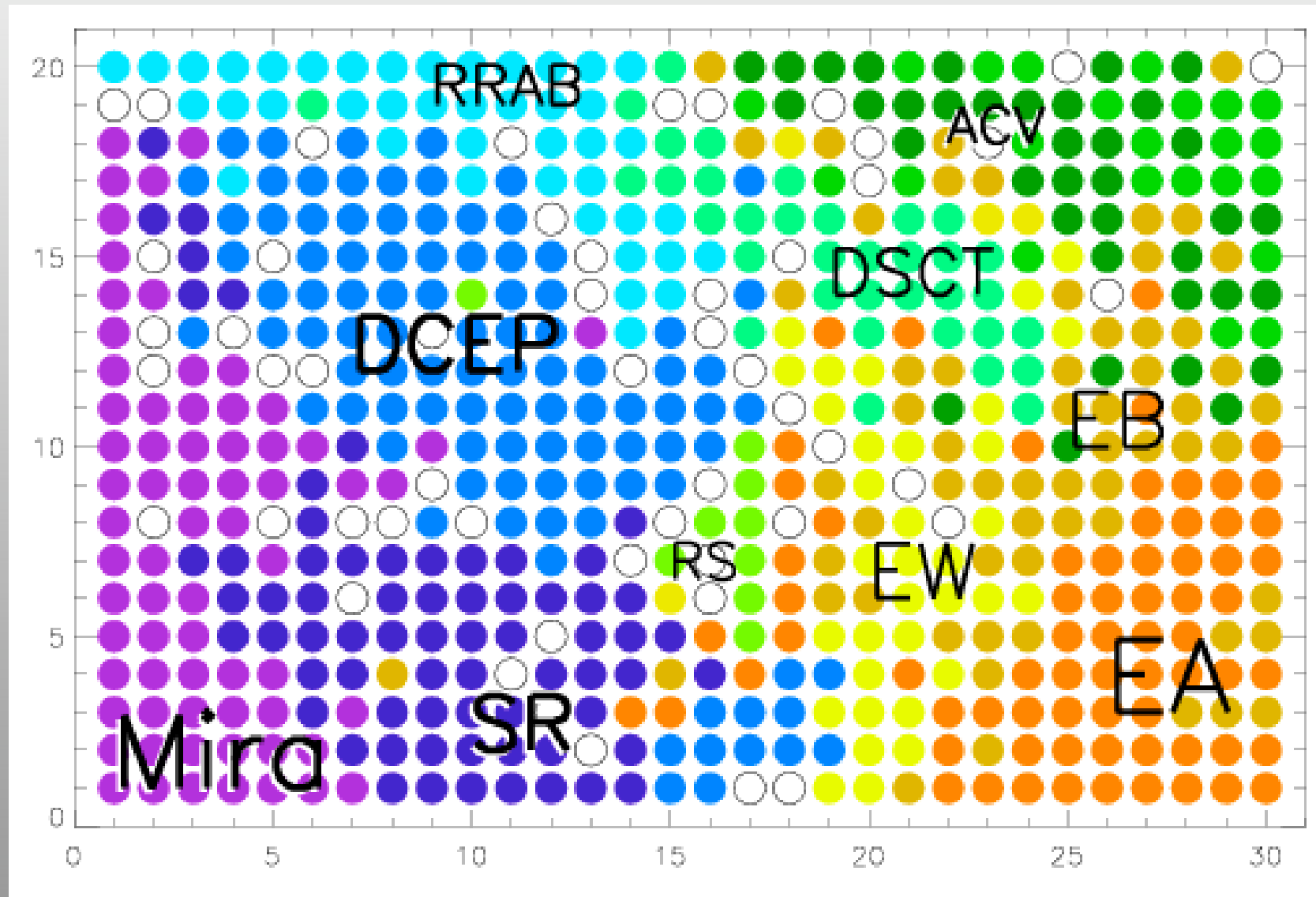
Software - SOM_PAK (free)



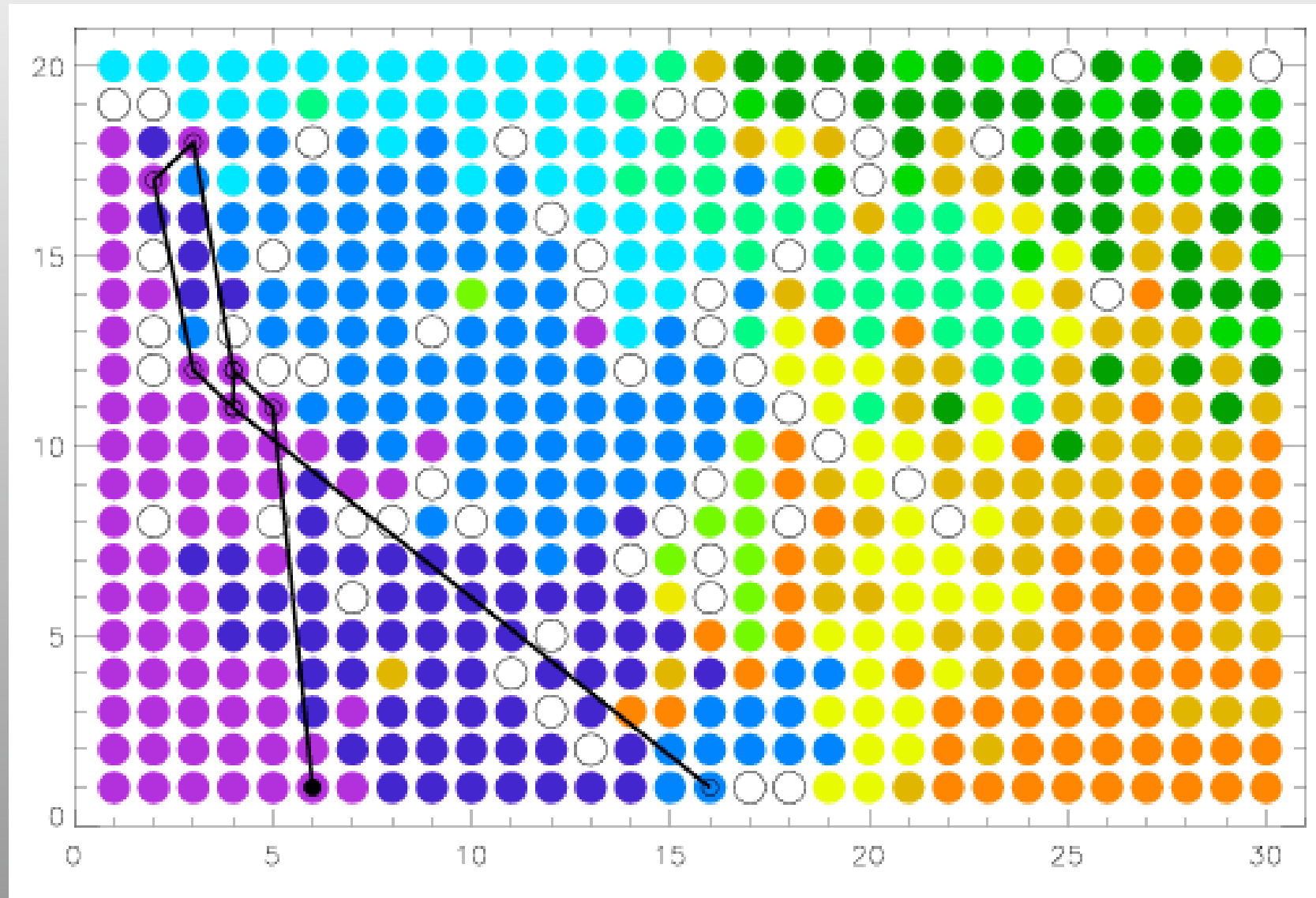
Unsupervised learning with Self-Organizing Maps



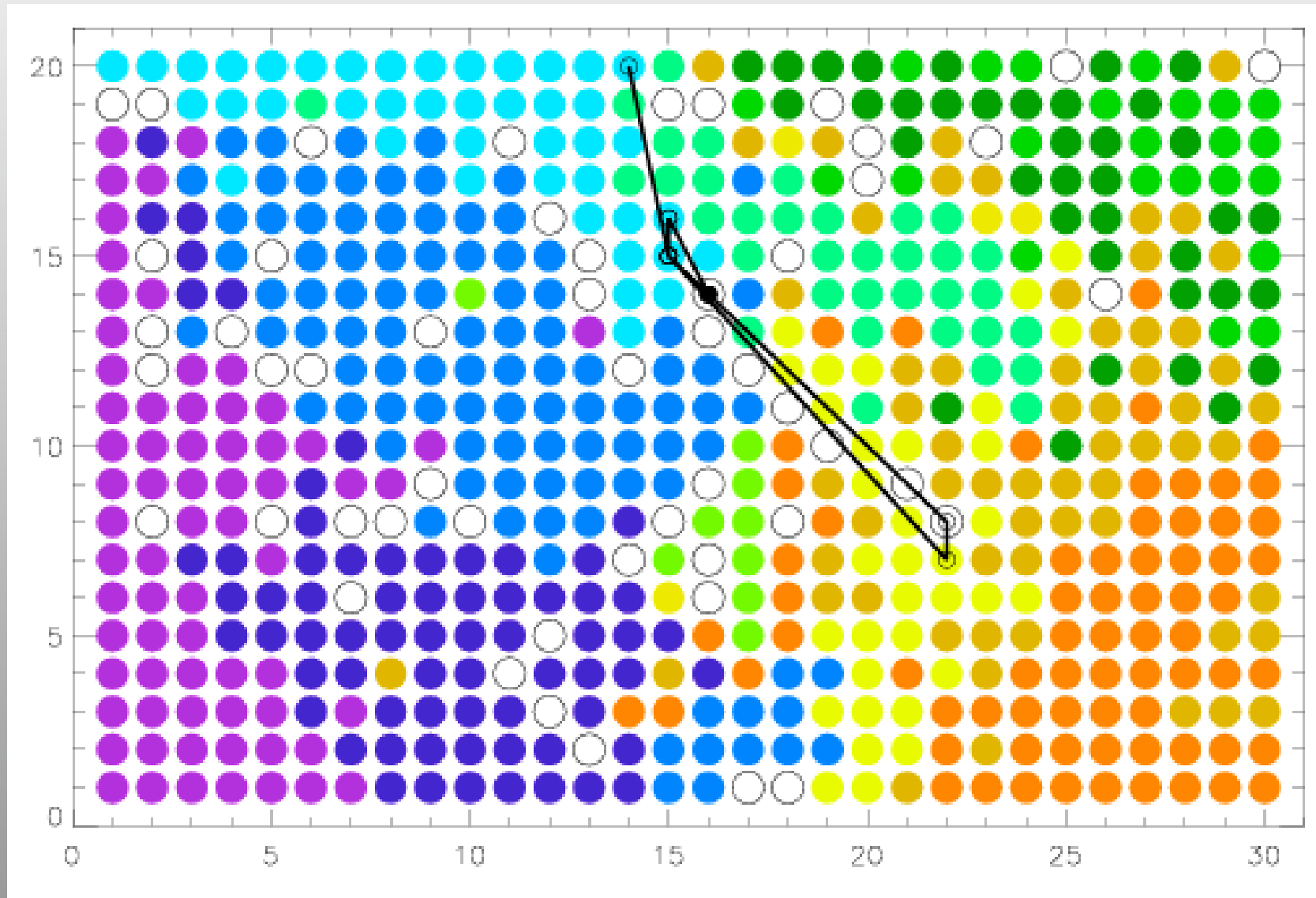
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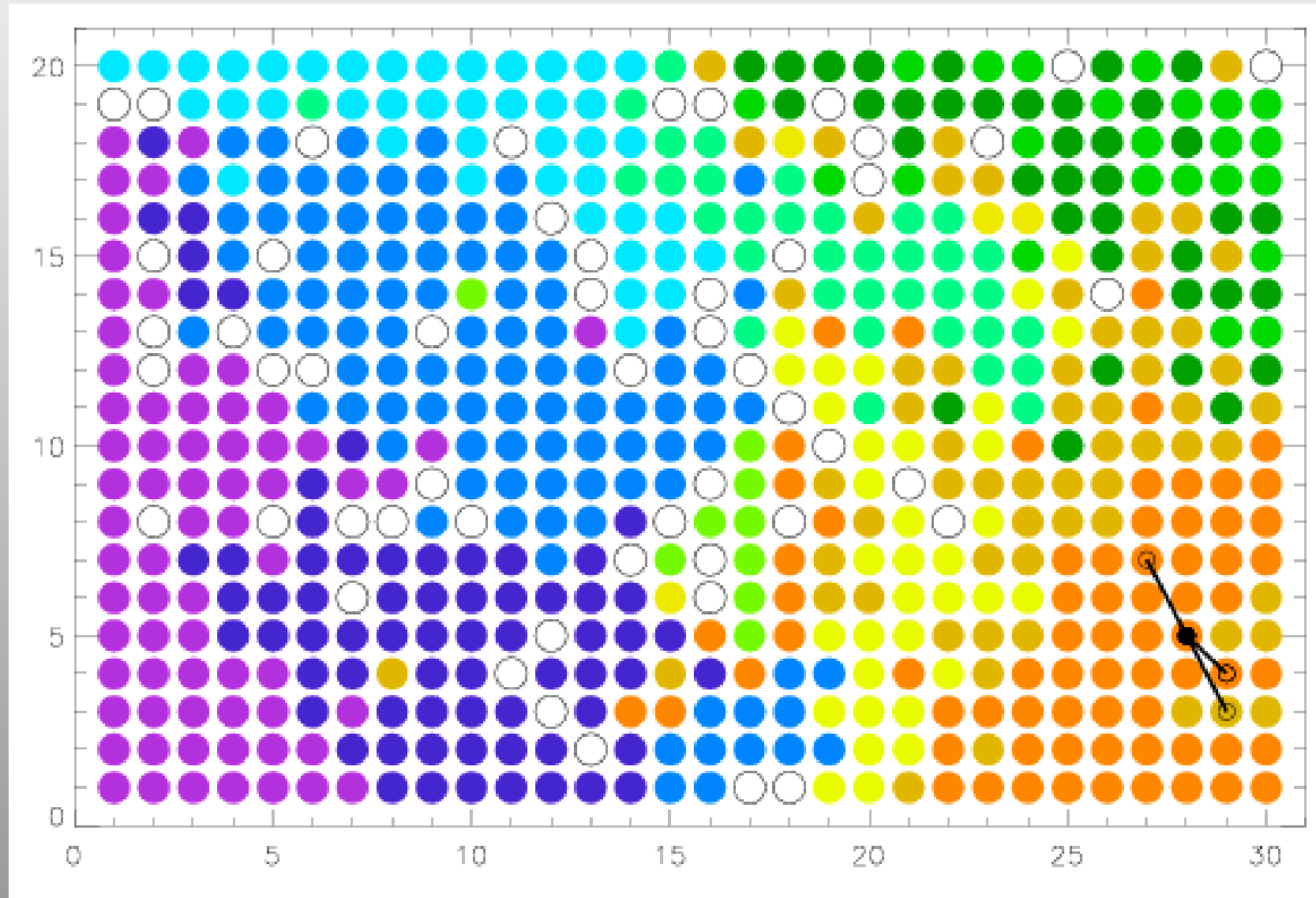
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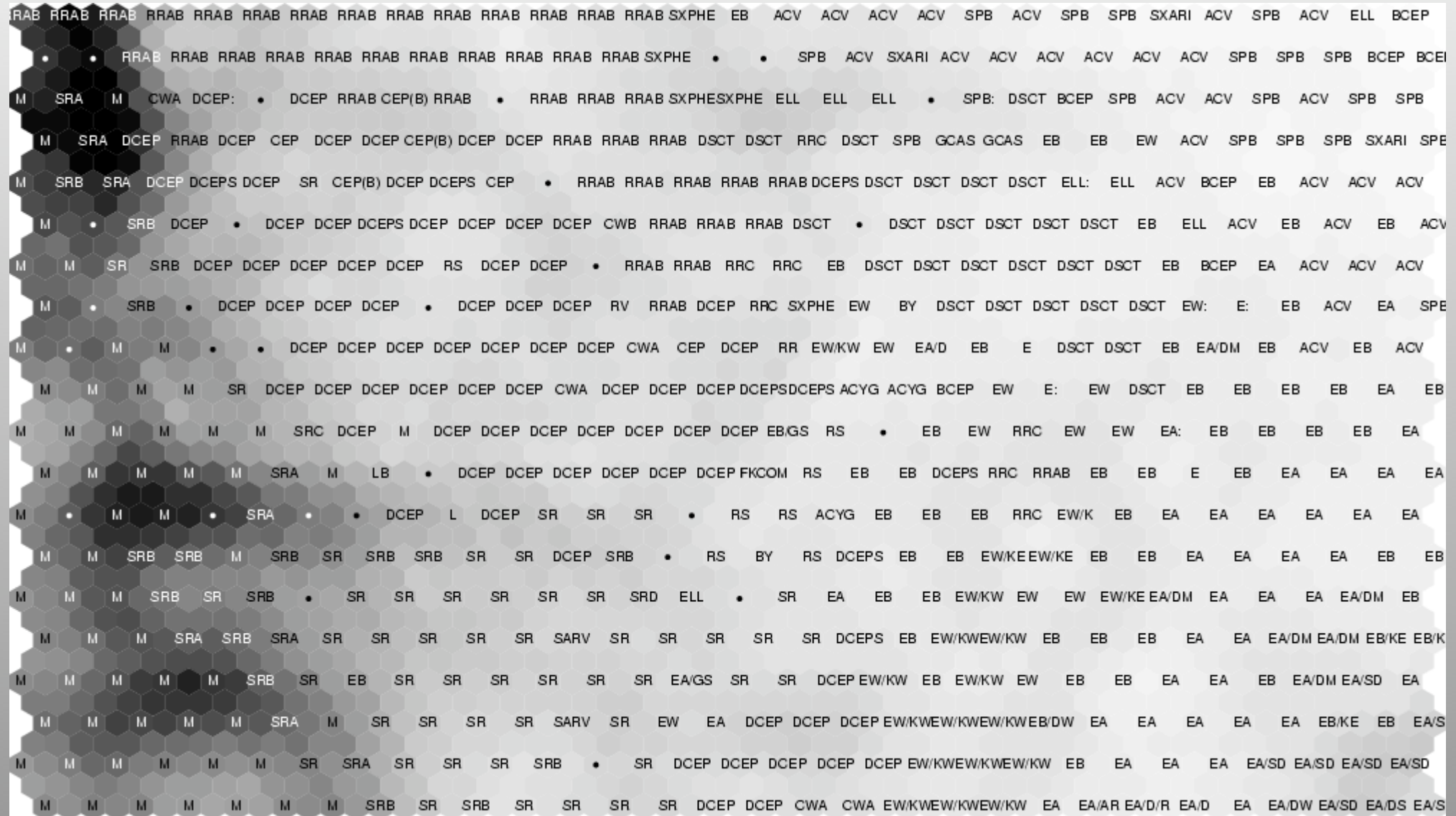
Unsupervised learning with Self-Organizing Maps



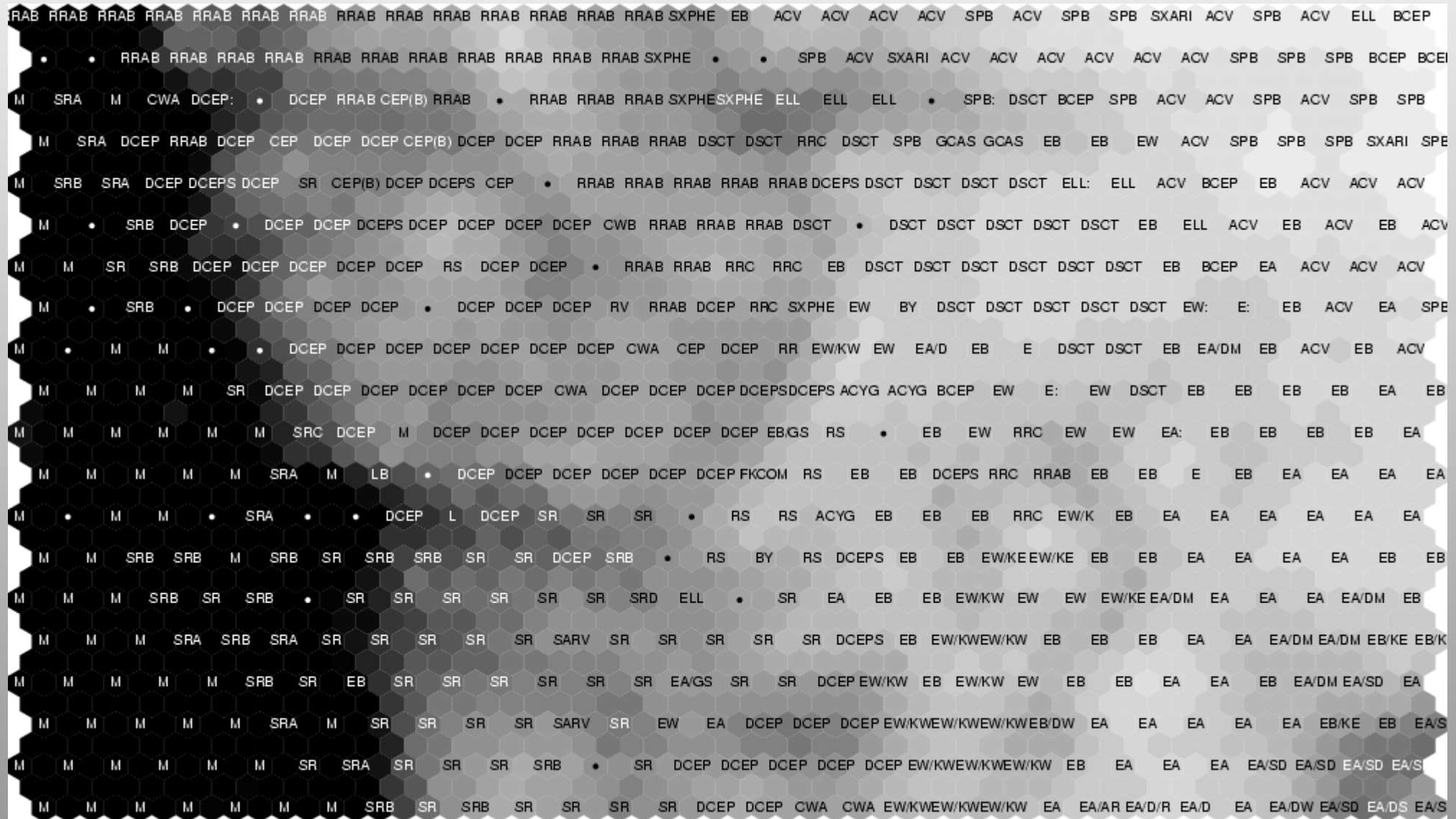
Unsupervised learning with Self-Organizing Maps



Unsupervised learning with Self-Organizing Maps

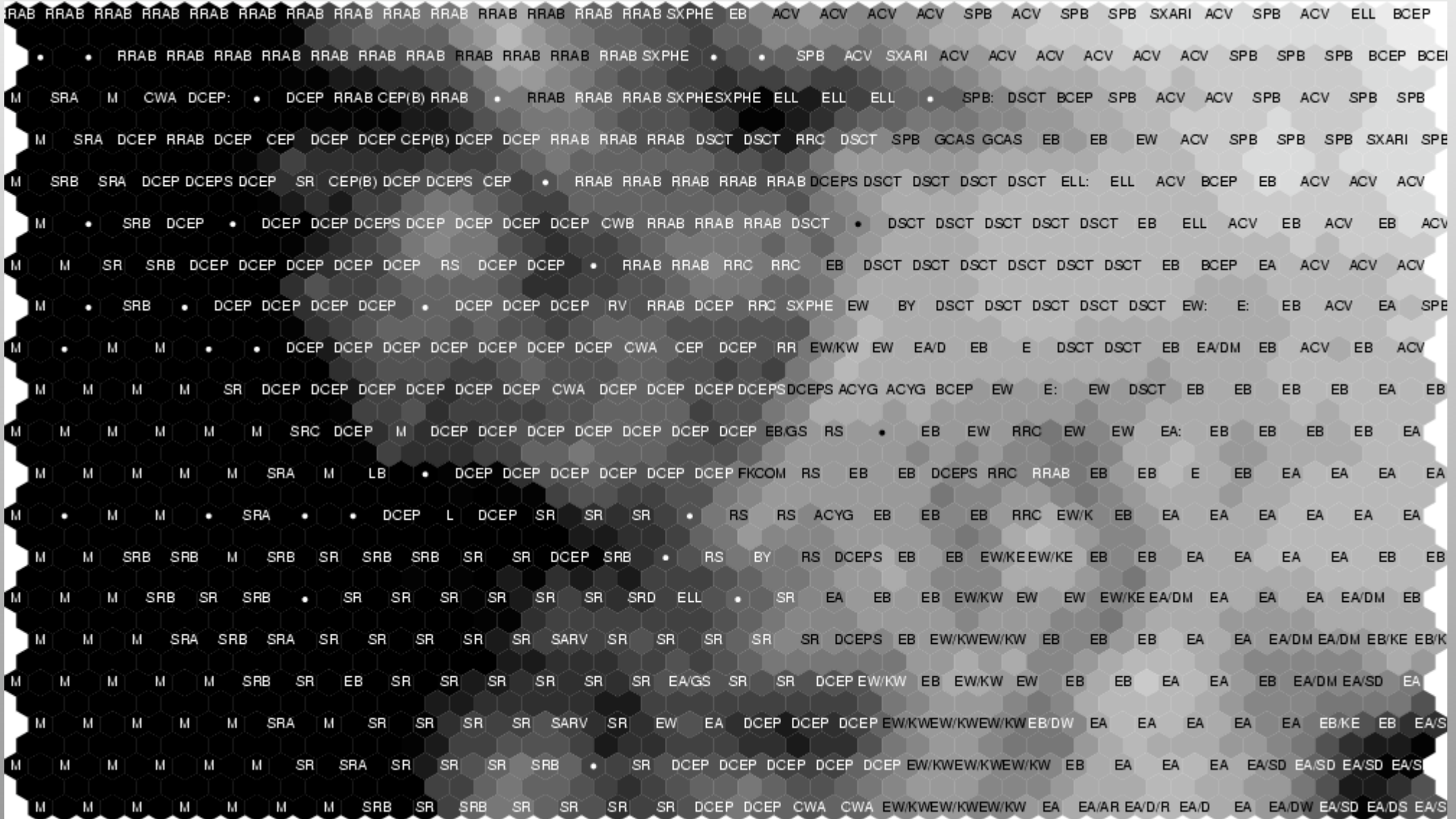


Unsupervised learning with Self-Organizing Maps



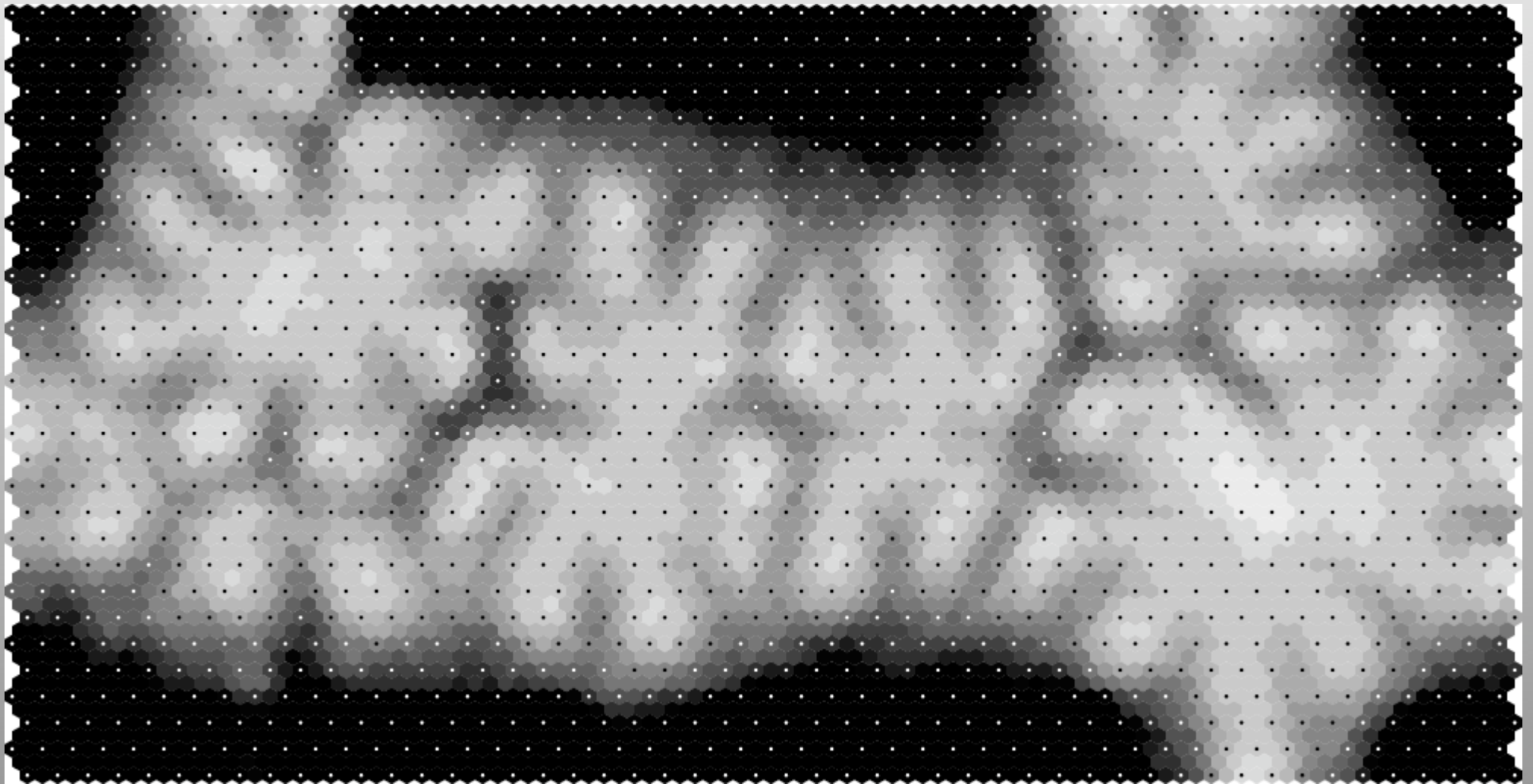
GAIA Science Alerts & Variable Star WGs

Unsupervised learning with Self-Organizing Maps



Unsupervised learning with Self-Organizing Maps

50000 variables in the POINT-AGAPE dataset



Unsupervised learning with Self-Organizing Maps

Strategy 1

Train the map with the whole dataset available

Calibrate with known (archived) variables

Strategy 2

Train the map only with known variables

For each new lightcurve find the location on the map

Science Alerts

Novelty detection - the black spots and walls - regions with low reference vector density

Numbers on the x and y-axis do **NOT** carry any (usual) meaning. **However**, SOMs can be used for feature extraction and then the (x,y) positions on the map can be analysed with MLPs.